

COMSOL
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Contactless Power and Data Transfer for Multiple Nonlinear Loads

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Introduction

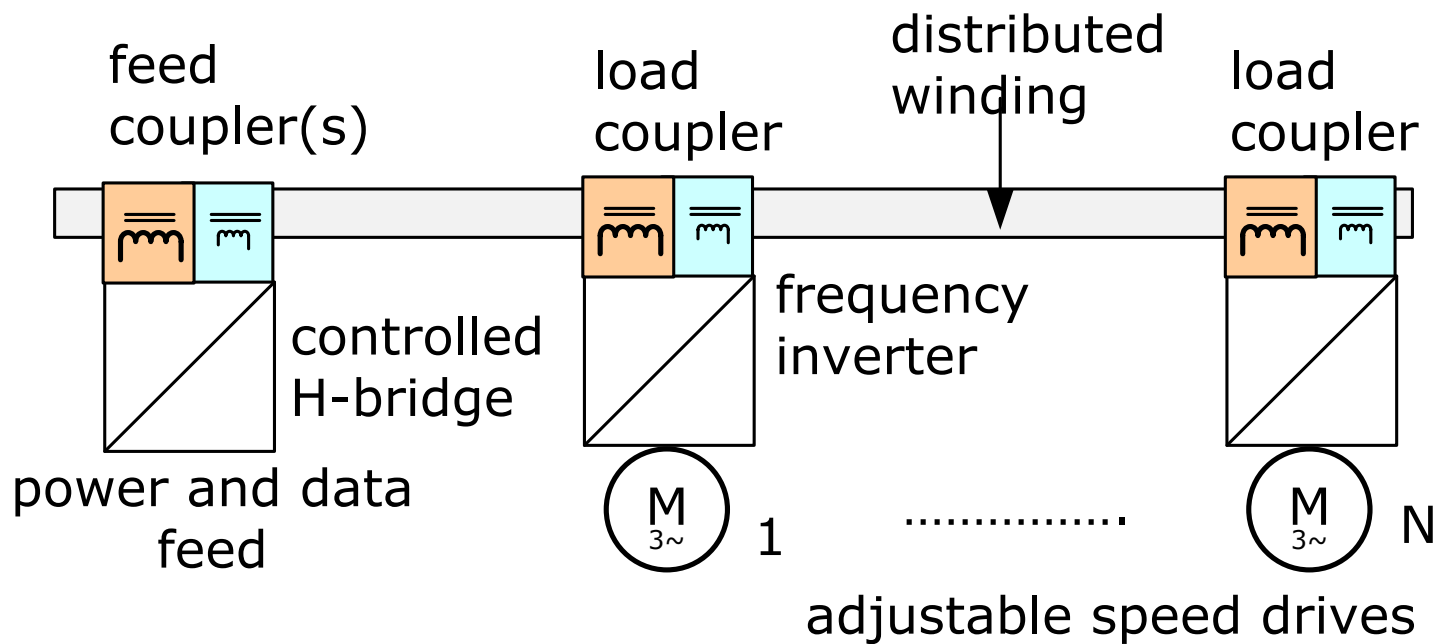
Contactless Power and Data Transfer Application in Industrial Automation

De- centralized automation with distributed
sensors & actors (e.g. conveyer)



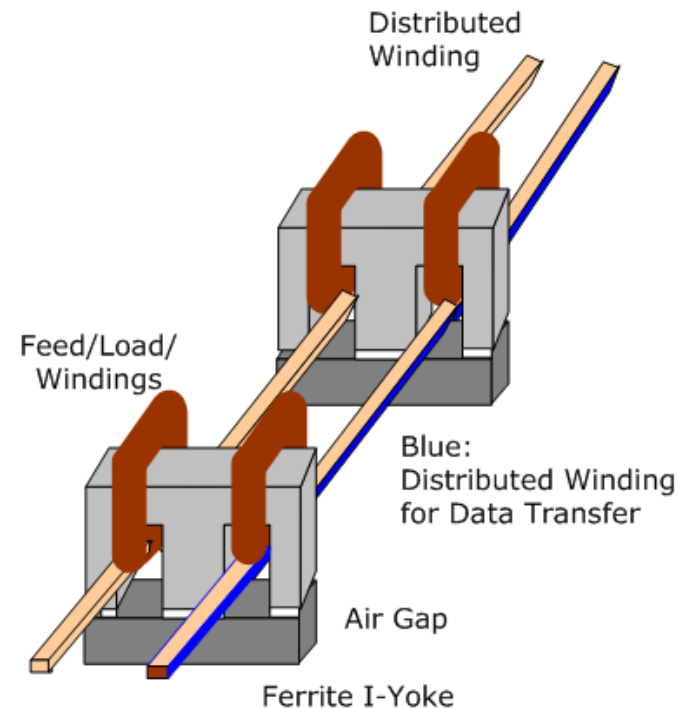
Introduction

Basic Layout



Multi-winding transformer with one “distributed” winding

- Power transfer
 - Feed < 10 kW
 - Load < 0.5 kW (typical)
- Data transfer
 - 500 kBit/s
 - Cycle time < 2ms
- Frequency range
 - 20- 70 kHz power
 - 20- 600 kHz data
- Extension
 - Length < 100 m / 300 ft



AC/DC COMSOL for quasi-static conditions in 2D and 3D EM calculations AND eventually couple with “equation-based”

Realize design goals such as:

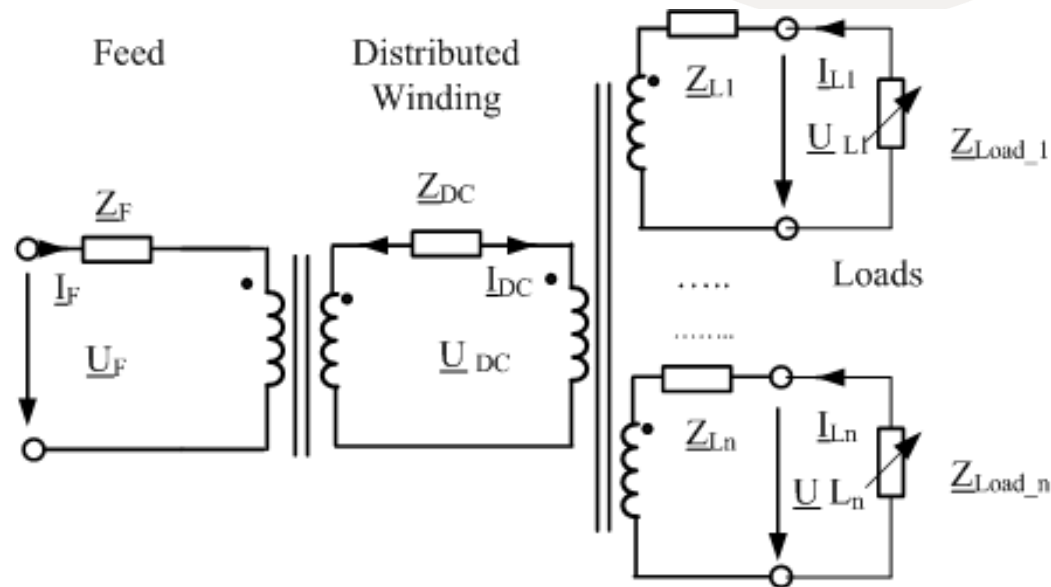
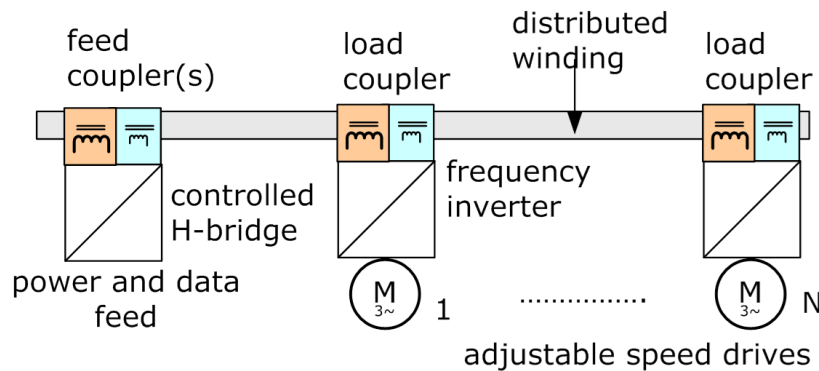
- Voltage must not vary too much at loads regardless of number of loads (resonances , variable loads ...)
- Minimize losses while not increasing cost

Ongoing work utilizes version COMSOL 4.3

- Determination of lumped parameters such as
 - self and mutual inductances
 - capacitances (not dealt with here)
- Studies in frequency domain
- Time depended calculations (not yet...)

Objectives

Find Lumped Parameters



$$\underline{U}_F = \underline{Z}_F \cdot \underline{I}_F + j\omega M_{DWF} \cdot \underline{I}_{DC}$$

$$0 = \underline{Z}_{DW} \cdot \underline{I}_{DW} + j\omega \cdot M_{DwF} \cdot \underline{I}_F - j\omega \cdot \sum_{j=1}^{N_{load}} M_{DC Li} \cdot \underline{I}_{Li}$$

$$\underline{U}_{Li} = \underline{Z}_{Li} \cdot \underline{I}_{Li} + j\omega \cdot M_{DwLi} \cdot \underline{I}_{DW} + j\omega \cdot \sum_{\substack{j=1, \\ j \neq i}}^{N_{load}} M_{LiLj} \cdot \underline{I}_{Lj}$$

AC/DC Module

- Frequency domain
 - Linear transfer system: non saturation of ferrite E-cores
 - No-linear loads: input rectifier of inverters
- 2 D Studies
 - Air-gap influence, some geometry
 - Losses (skin and proximity of distributed winding)
- 3D Studies
 - Air gap check
 - Self and mutual inductances
 - Transfer behavior

Coupling to heat transfer for distributed winding

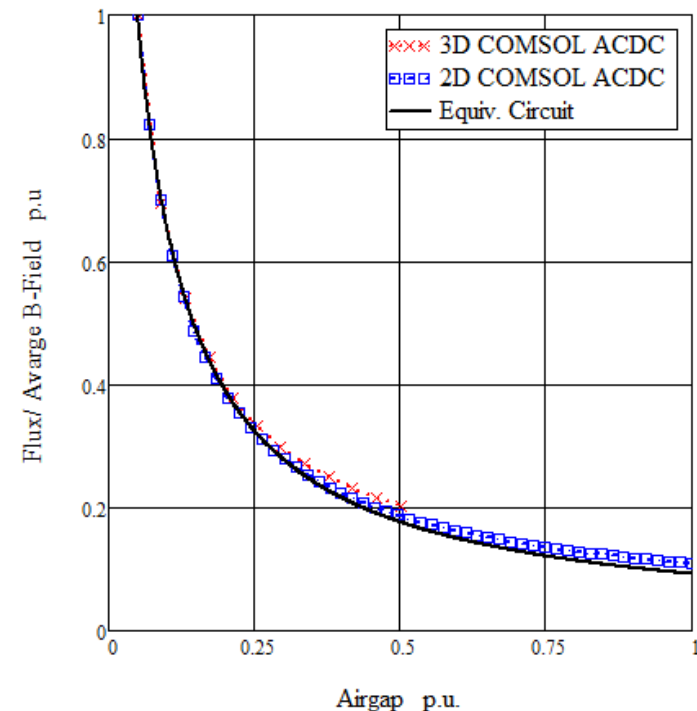
2D and 3D Air Gap Studies for one Coupler

We use quite small air gaps so variations influence fluxes considerably

- 3D Model
 - Mesh and solutions issues due to unfavorable geometric ratios
- 2D
 - Much easier to solve

Eventually applied for 3D studies

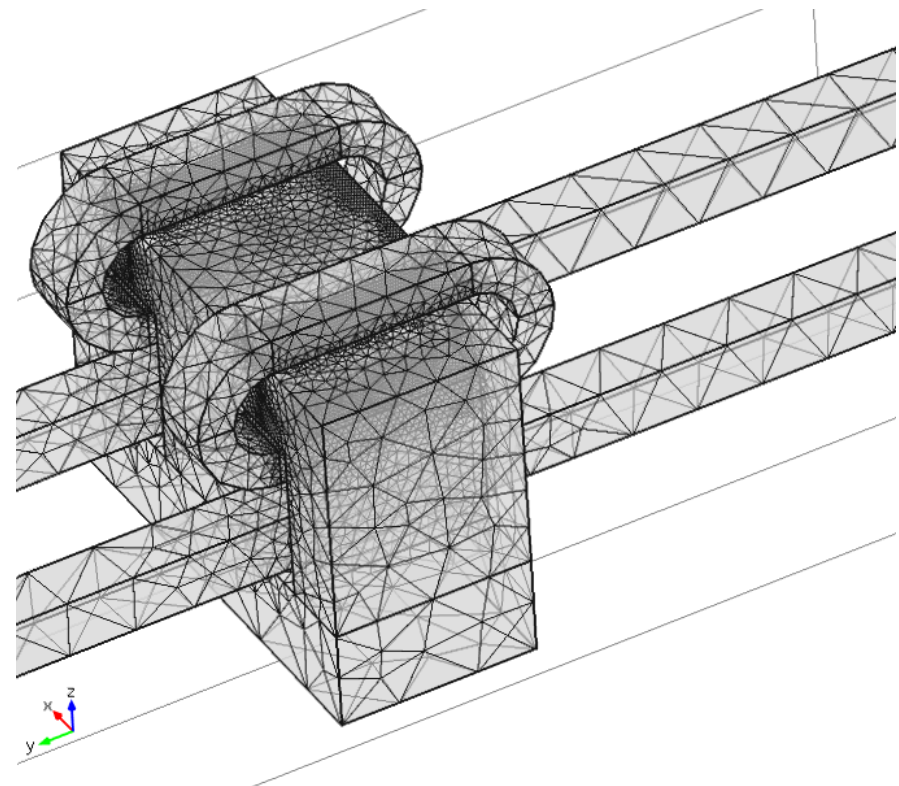
- 3D Model
 - permittivity layer feature



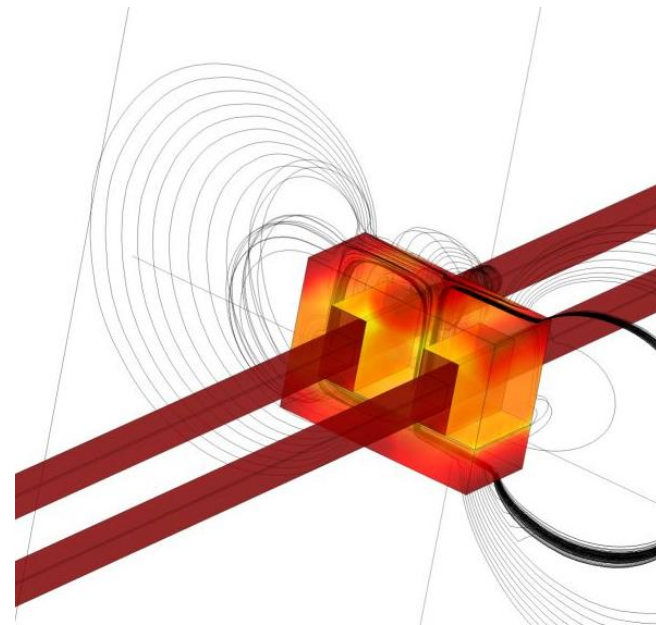
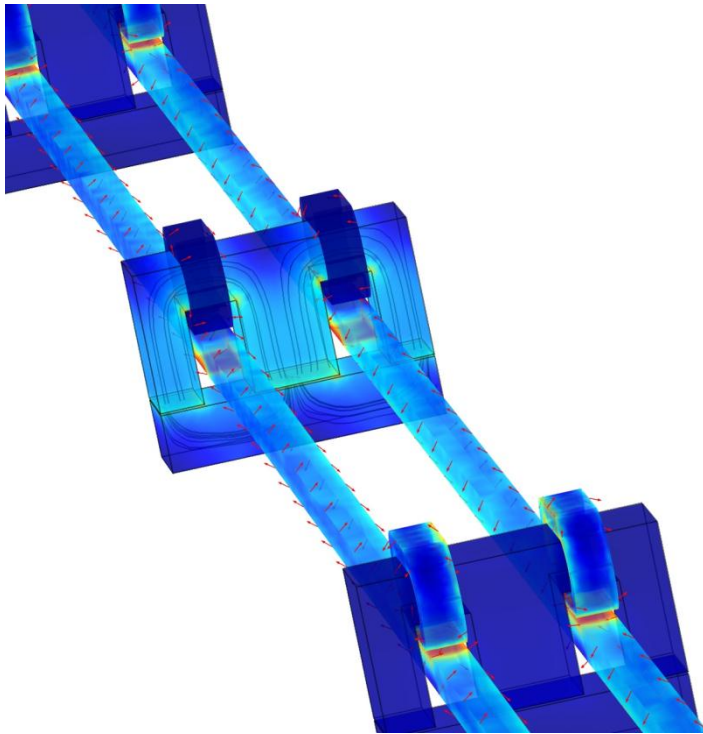
3D Studies

- Simple geometry, but relevant narrow region are to be resolved
- Flux contained quite well in E-I ferrite but not in distributed winding

Relative large element number



3D Studies AC/DC Module Typical results



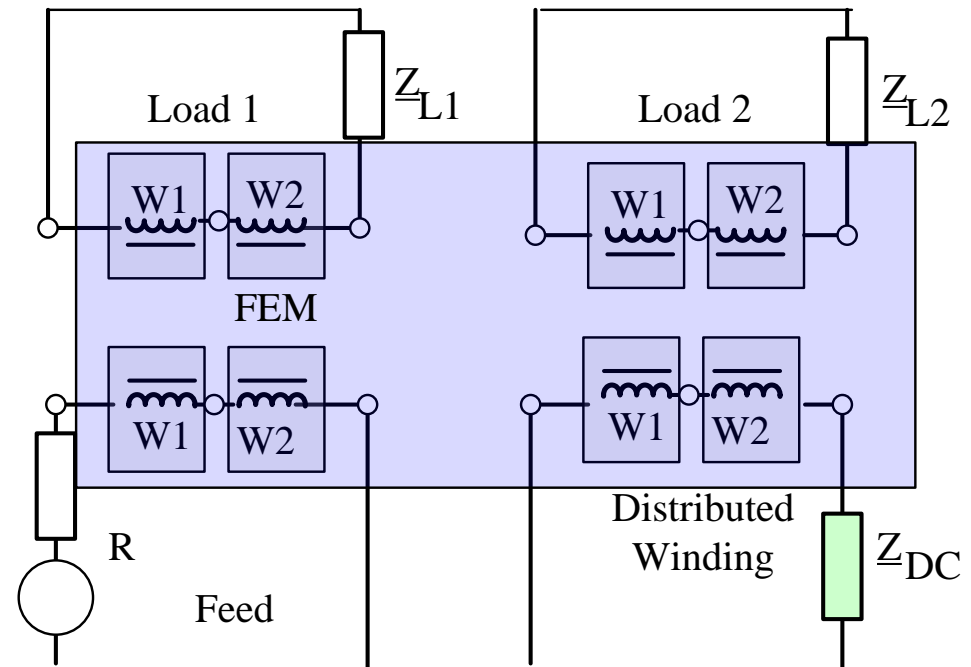
Lumped Parameters Extraction

- Self inductances
Energize only relevant winding while other windings are “disabled” and determine magnetic energy
- Mutual inductances
Fluxes across appropriate faces , ratio of flux and currents (accounting for number of turns) yields mutual inductances
- Coupling with circuit also yields inductances
- Results are reasonable accurate for the application

3D Studies AC/DC Module:

Magnetic Field and Circuit Calculation

- Distributed winding is divided
 - one small section (e.g. 1m / 3ft) part of FEM
 - the large section (e.g. 100m/300ft) is modeled via an impedance within the circuit



Experimental Set Up

Test Stand

- Five adjustable speed drives
- Feed laboratory H-bridge with full control and access
- Distributed winding (app. 65 m / 200ft) is housed in a conduit which meanders along a wooden base plate.
- Distributed winding for data is attached to it
- Field and load couplers use standard E-Cores, bobbins are tailor made



Experimental Set Up

Measurement

Lumped parameters

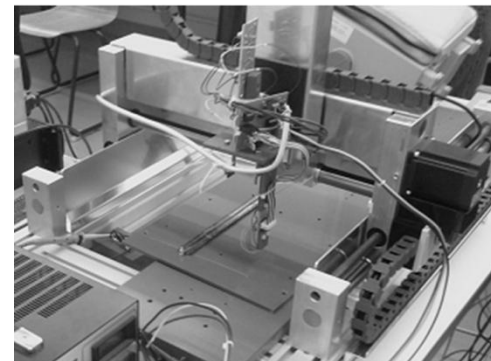
- Precision impedance meter
- Frequency synthesizer and power amplifier
- Current sensor DC to 5Mhz

System behaviour

- Voltage and current sensors

Field

- Scanning device
- 3 perpendicular hall sensors
- DC- 300kHz



X, Y,Z positioning



sensor head

Results and Conclusion

Results

Lumped parameter

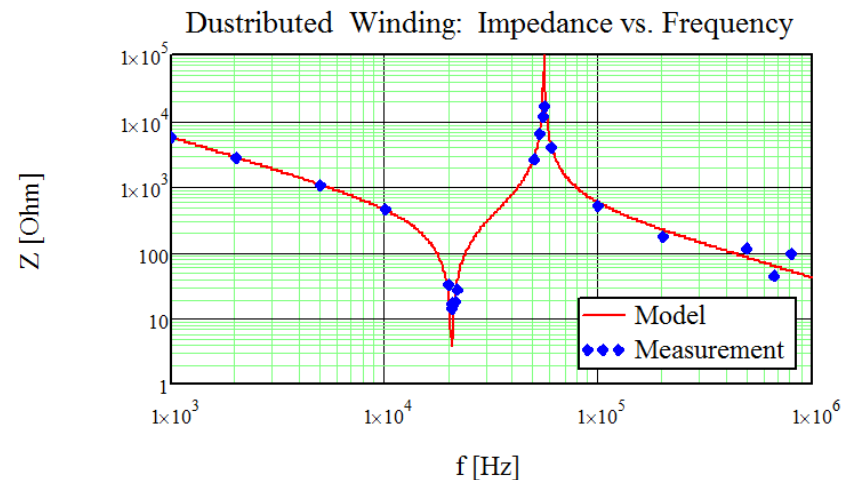
- Results are reasonable accurate to 10 % within the measurements
- Field levels (only one coupler)
Results are reasonable accurate

Transfer behavior

- No and light load voltage transfer ok also within 10 %
- Heavy load conditions have to be re considered

Heating

- Temperature elevation reproduced with adjusted heat transfer coefficients



Conclusion

- As expected results are quite sensitive to air gap spacing
- The presented work is on go-ing and first results have been presented.
- This first results helped to build a **working test stand** in finding appropriate pa-rameters.
We have operated inverter driven motors, where power and data have been supplied contactless.

Next steps

- Heavy load conditions
- Transient behaviour.

**Thank you
for your attention!**

- Introduction
- Objectives
- COMSOL Usage
- Experimental Set UP
- Results and Conclusion

Introduction

Contactless Power Transfer “Battery” Charging



Source: Conductix-Wampfler,



Source: Wire less Consotrium

EMS – electric monorail systems



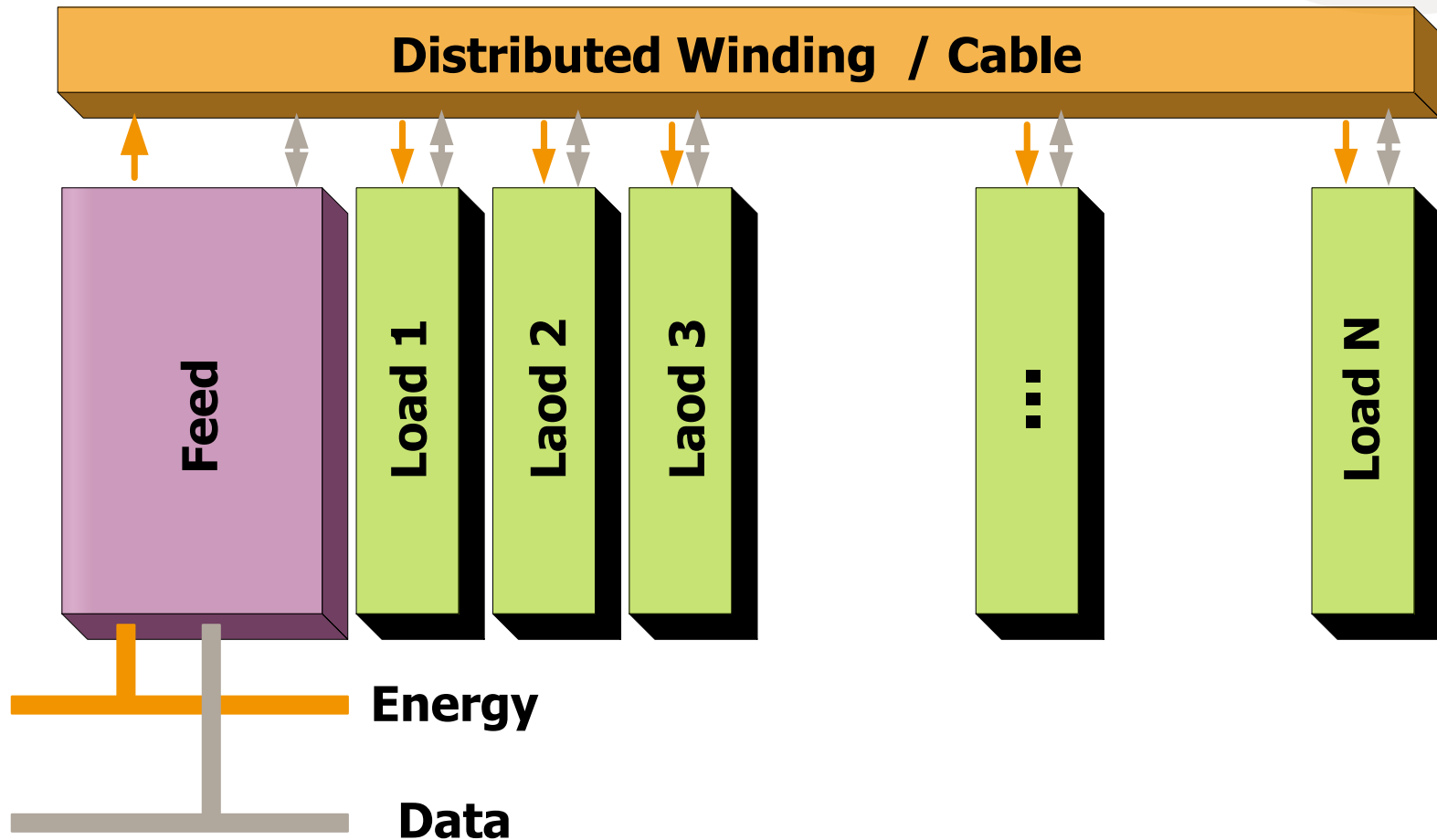
Source: Vahle

AGV – automated guided vehicles



Introduction

System Configuration



COMSOL Usage



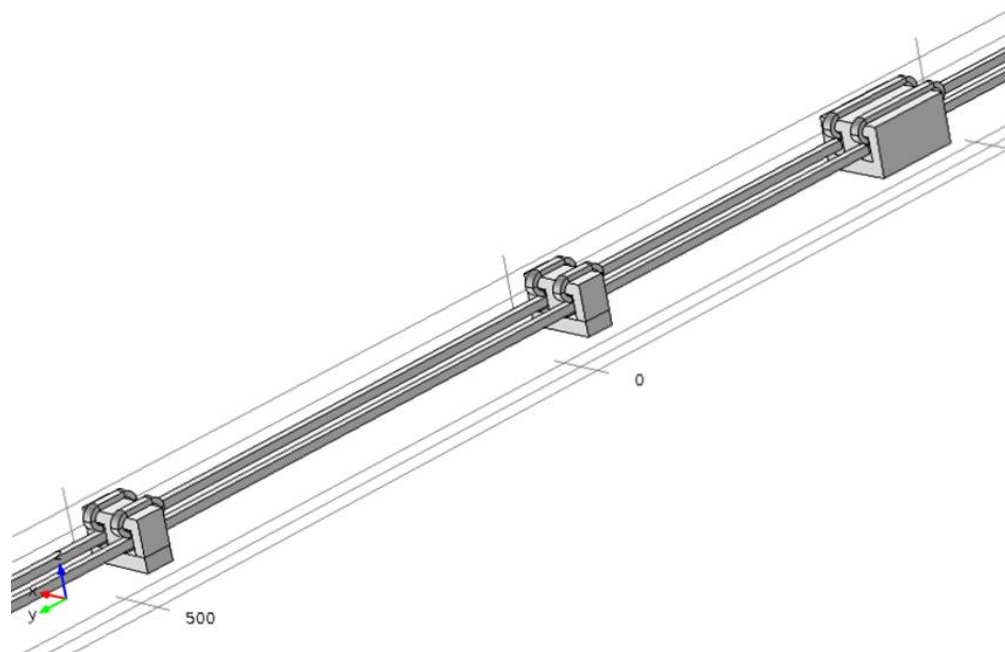
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3D Studies

Paint circuit relative simple geometry

Results

+ MCAD



Loss Considerations

Losses are assessed via analytical approximations:

- Skin effect

$$\frac{R}{R_{DC}} = \text{Re} \left\{ \frac{r_w}{2} \sqrt{-j \cdot 2\pi \cdot f \cdot \mu \cdot \sigma} \frac{J_0(\sqrt{-j \cdot 2\pi \cdot f \cdot \mu \cdot \sigma} \cdot r_w)}{J_1(\sqrt{-j \cdot 2\pi \cdot f \cdot \mu \cdot \sigma} \cdot r_w)} \right\}$$

- Proximity effect as given by Nan and Sullivan,

$$P_{\text{proximity}} = G(r, f, ws, ls) \frac{\bar{H}^2}{\sigma} \quad \bar{H}^2 = \frac{1}{3} \frac{N^2 \cdot I^2}{b_w^2} \left(1 - \frac{1}{4m^2} \right)$$

- Core losses via a Steinmetz formula

$$P_V = K \cdot f^{ef} B^{eb}$$

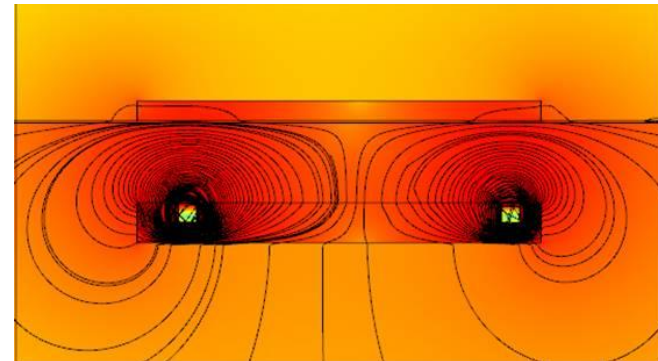
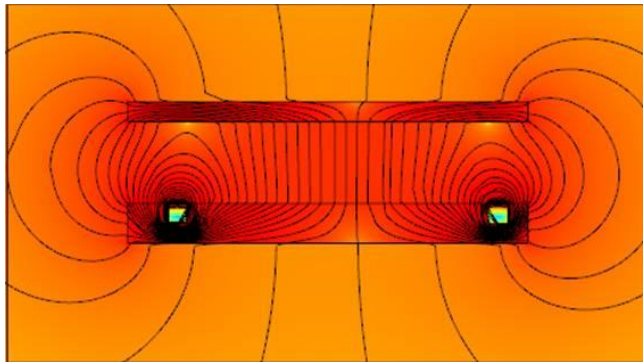
- Eddy current losses of a thin back plate

$$P_V = \frac{1}{2} B_{av}^2 \cdot \pi^{3/2} \cdot f^{3/2} \cdot \sqrt{\frac{\sigma}{\mu}} \cdot \frac{\sinh(X) - \sin(X)}{\cosh(X) - \cos(X)}; \quad X = \frac{d}{\delta} = \sqrt{\pi \cdot f \cdot \mu \cdot \sigma} \cdot d$$

Shielding

Opera 3D Electra and 2D COMSOL

- Diffusion equation for the quasi static case and the harmonic Ansatz.



- Design of shield geometries for given damping requirements
- Minimizing incurred eddy current losses by altering conductivities, distances and thicknesses