

Optimization of Thermal Properties Identification of Complex Thin films Using MATLAB® and COMSOL Multiphysics®



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Motivations

➤ *Study of thermal properties for thin films :*

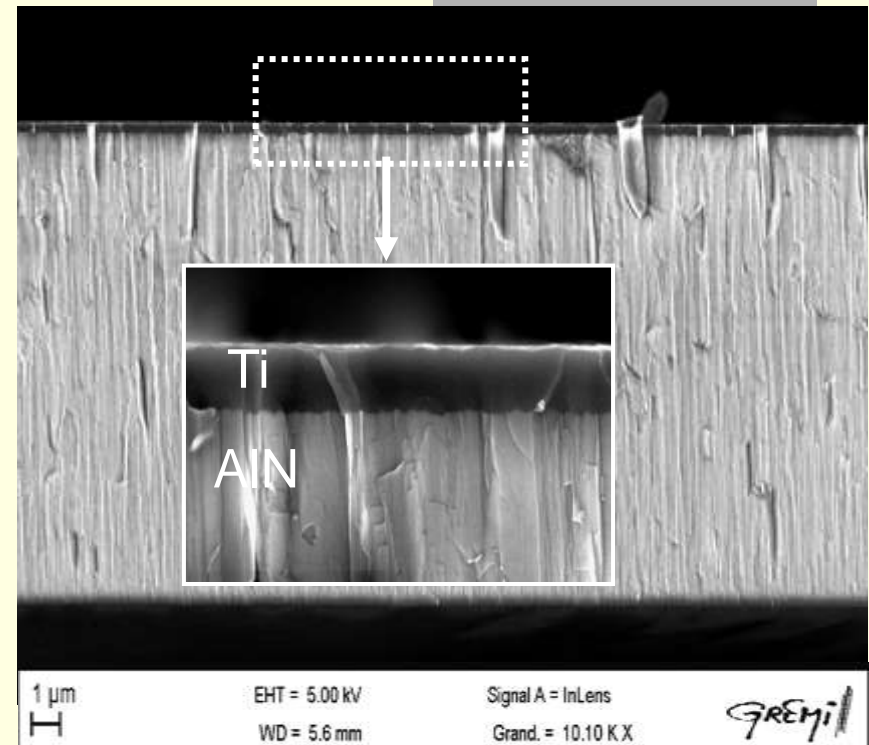
- AlN (Highly conductive)
- YSZ (ceramics thin film)
- Metals
- Dielectric films...

➤ Their applications in next generation microelectronic devices :

- QCL, HEMT, Thin film fuel cells

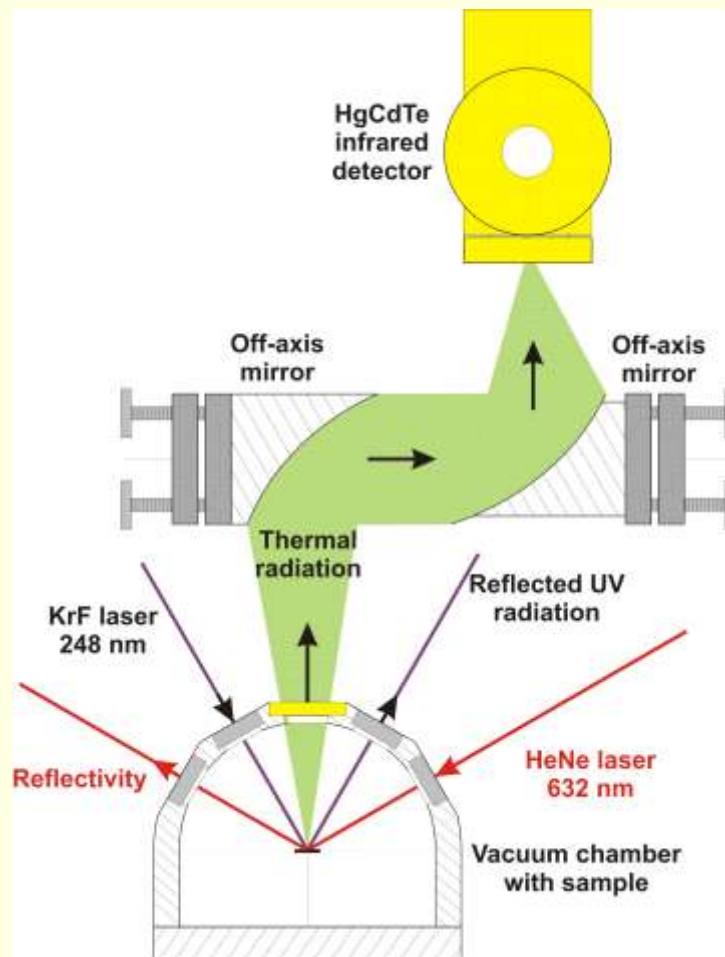
➤ Fundamental knowledge of condensed matter thin film state : mesoporous Si, CNTs...

- *J.Phys.D 2011, J.A.P. 2012, ...*



JPCS 2012

Principle of PhotoThermal method

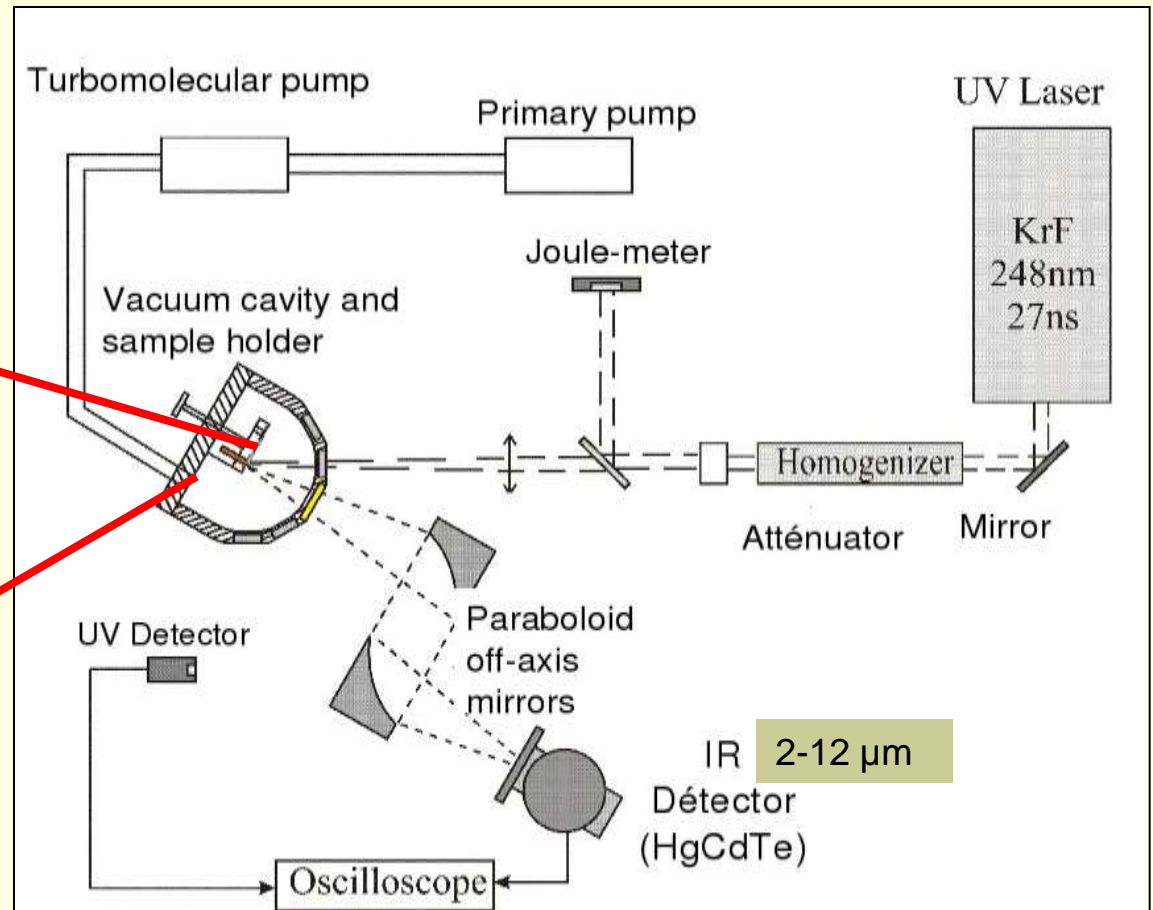
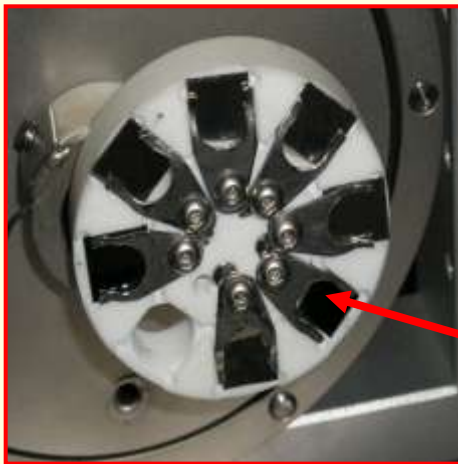


- Absorption of laser pulse energy \Rightarrow rapid increase of temperature and then relatively slow temperature decrease
- Detector calibration curve $U(T)$ – heating support
- Experiment evaluation:
 $U(t) \Rightarrow T(t)$

Experimental Setup

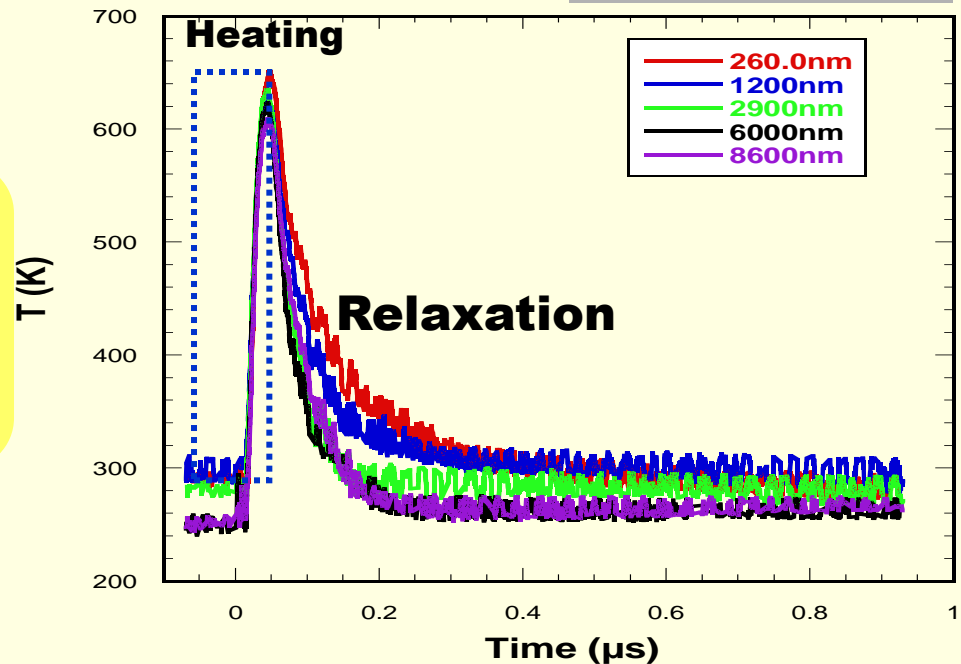
Photo-thermal nano-second

Sample holder



What is thermal identification?

Temperature of the IR detector from Ti/AlN sample surface after laser beam fluence of $4,8 \text{ mJ/cm}^2$



Built a realistic model to fit well the experimental curves based on the multilayer system physical parameters

- 1- 1D analytical model for multilayer thin films (Balageas) :
 Matlab Experiments gives 3 group of parameters

$$\theta_D(t) = \frac{\theta_D(t)}{\theta_\infty} = 1 + 2 \frac{\sum_{i=1}^2 x_i \omega_i}{\sum_{i=1}^2 x_i} \sum_{K=1}^{\infty} \frac{\sum_{i=1}^2 x_i \cos(\omega_i \gamma_K) + (-1)^i \mathcal{R} \gamma_K \sin(\omega_i \gamma_K)}{\sum_{i=1}^2 x_i \omega_i \cos(\omega_i \gamma_K) - (-1)^i \mathcal{R} \cos(\omega_i \gamma_K) + (-1)^i \mathcal{R} \gamma_K \omega_i \sin(\omega_i \gamma_K)} \exp\left(-\frac{\gamma_K^2 t}{\eta_2^2}\right)$$

Eigenvalues problem

- 2- Comparison with the 3D model namely for low conductive and complex thin films :

Creation of full model under Comsol :

Thin films/participating media (Heat Transfer Module)

3D Model in COMSOL – heat source

- Laser penetration into depth of sample is ruled by Beer-Lambert law

$$I(z) = I_0 \cdot e^{-az}$$

- Optical properties:
complex refractive index

$$n = n_1 + in_2$$

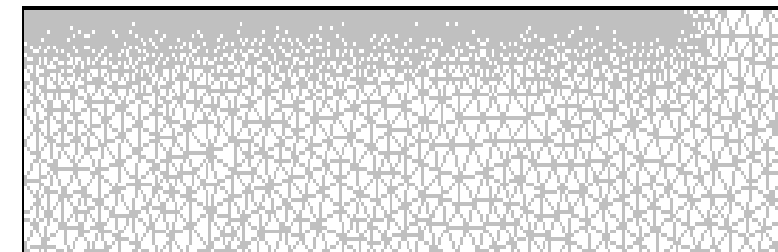
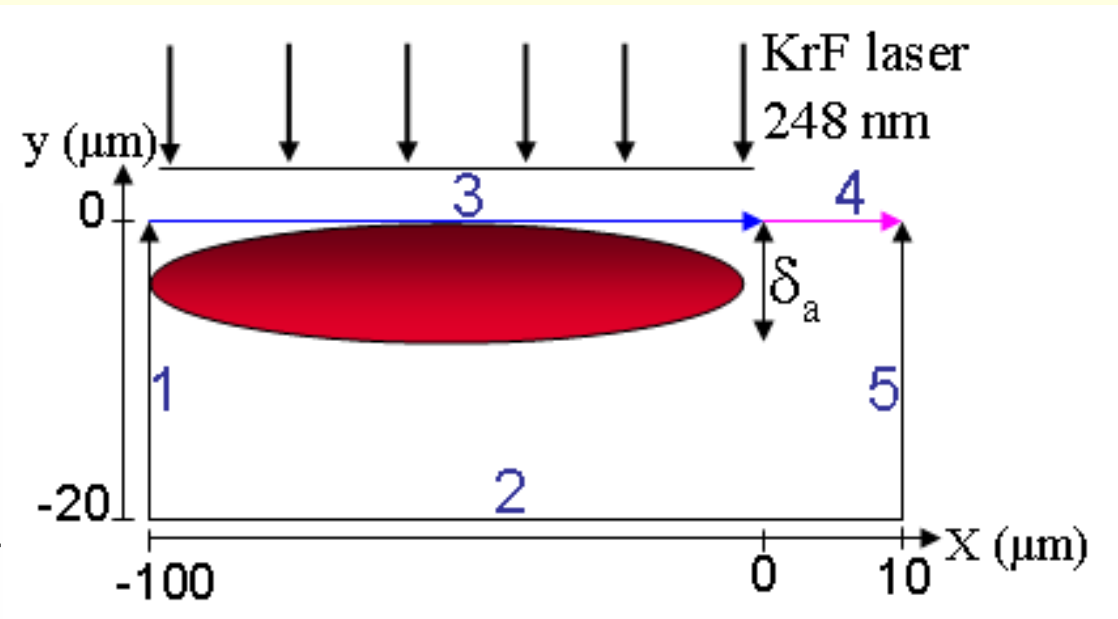
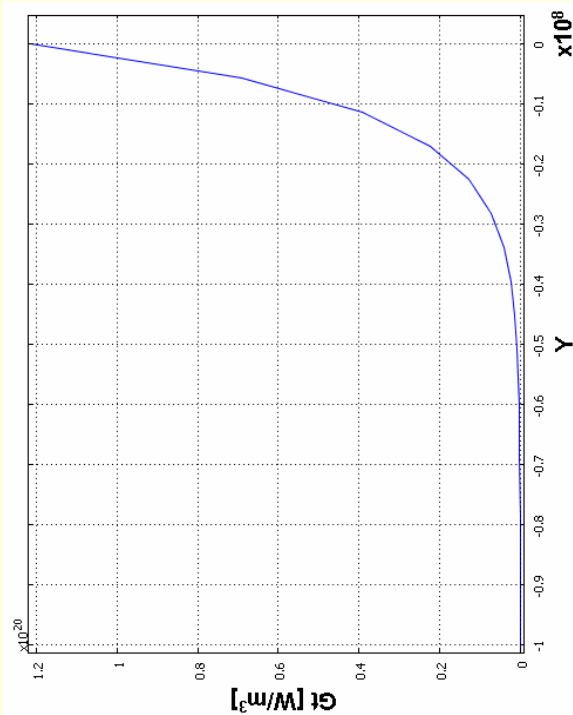
Material	n_1	n_2	a (m ⁻¹)	δa (nm)
Al	0.19	2.94	$0.1490 \cdot 10^{-9}$	13.4253
Cu	1.12	1.88	$0.0953 \cdot 10^{-9}$	20.9949
W	3.4	0.14	$0.1444 \cdot 10^{-9}$	13.8493

absorption coefficient

$$a = \frac{2\omega n_2}{c} = \frac{4\pi n_2}{\lambda} = \frac{2}{\delta a}$$

Modeling of UV laser beam absorption

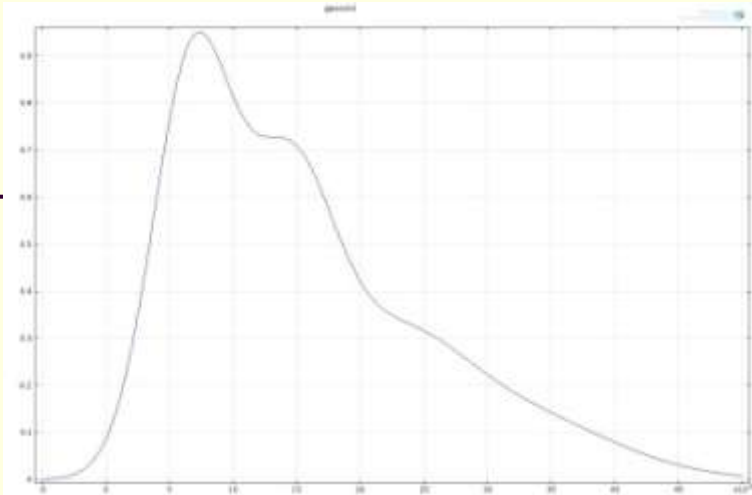
Heat source distribution



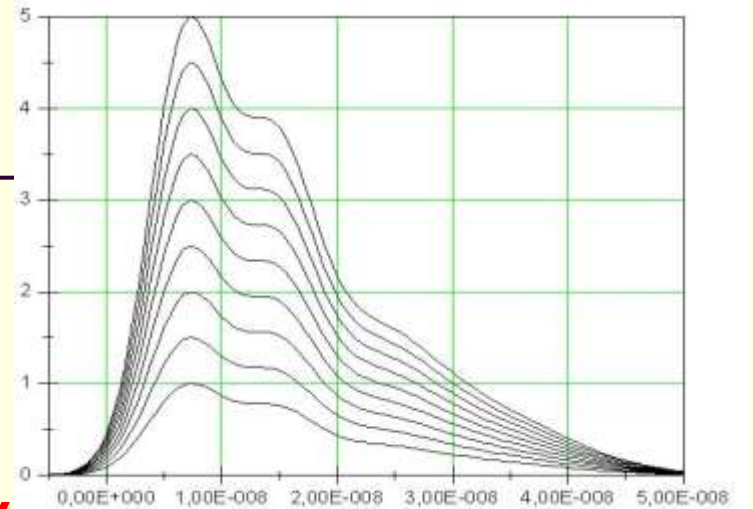
1 to 3 nm

100 nm

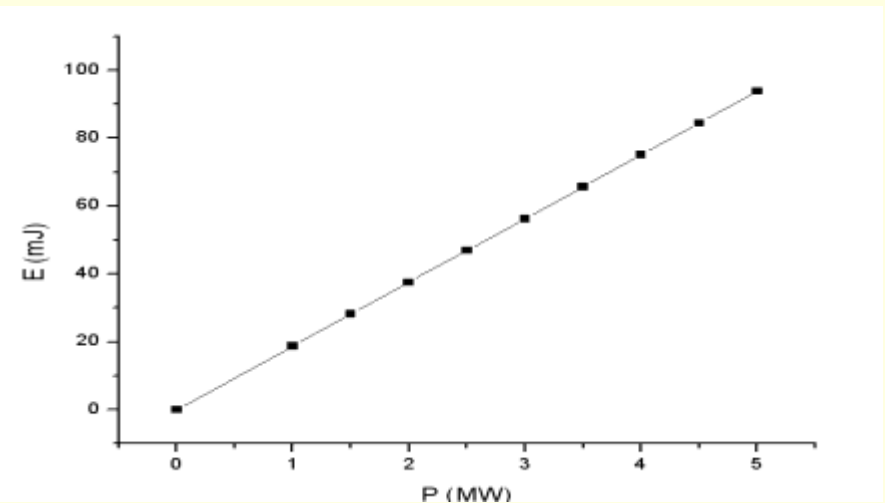
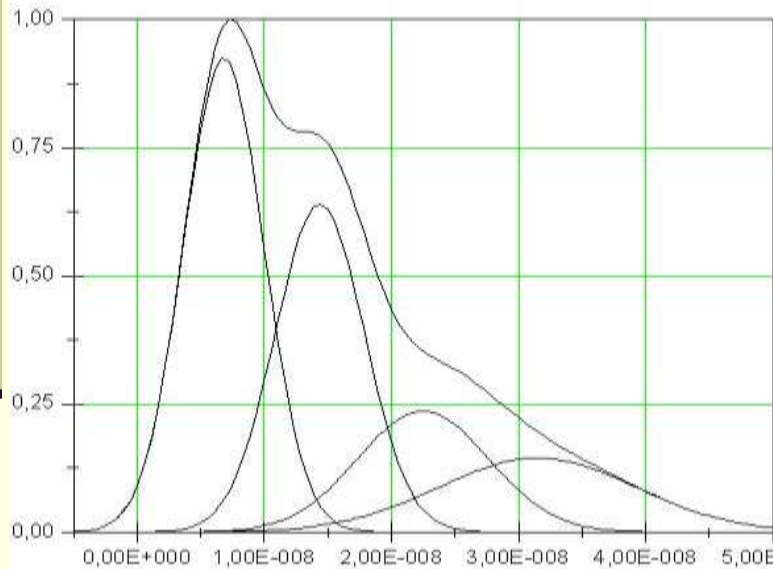
But also the real time distribution



Function of laser energy



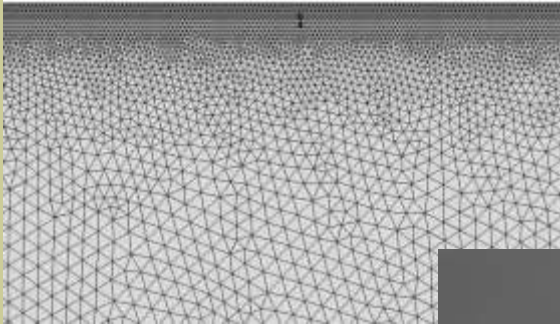
New



deconvolution

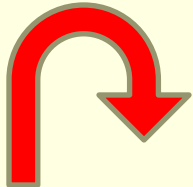
and linear variation of pics

3D Model in COMSOL : Si/YSZ/Ti



Ti : ρ_1, c_1, k_1

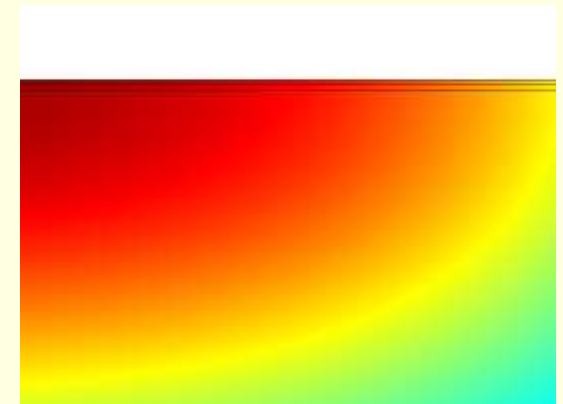
YSZ : ρ_2, c_2, k_2 ?



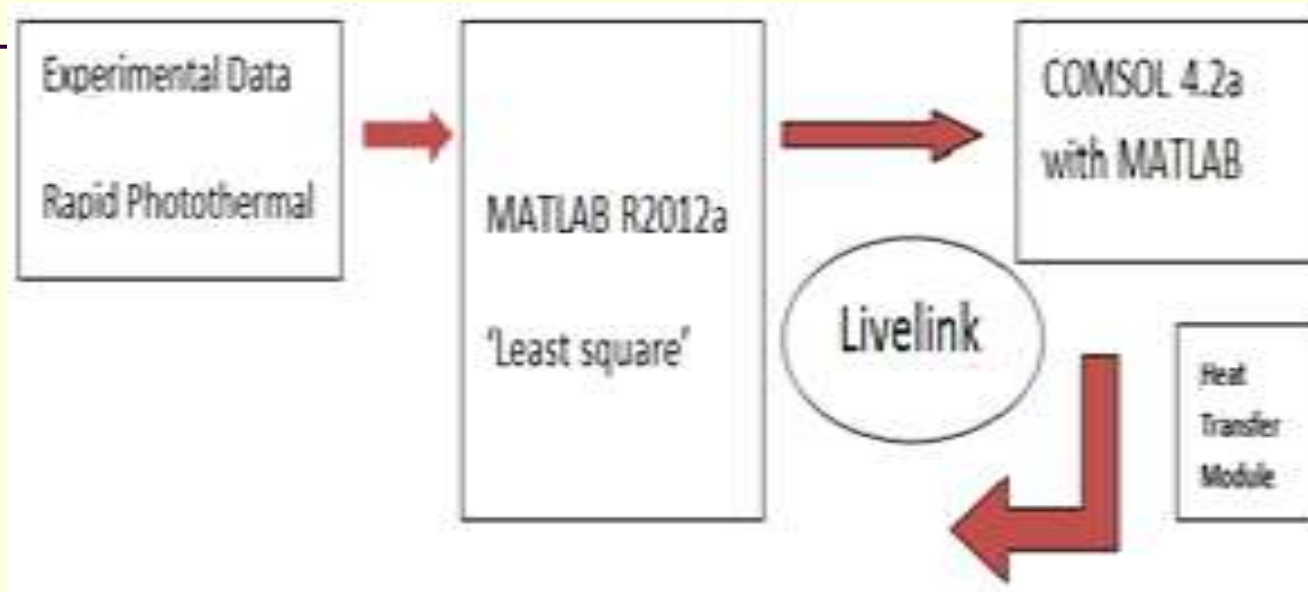
← Rth1

← Rth2

Bulk silicon : well known properties



Livelink loop



Our new strategy :

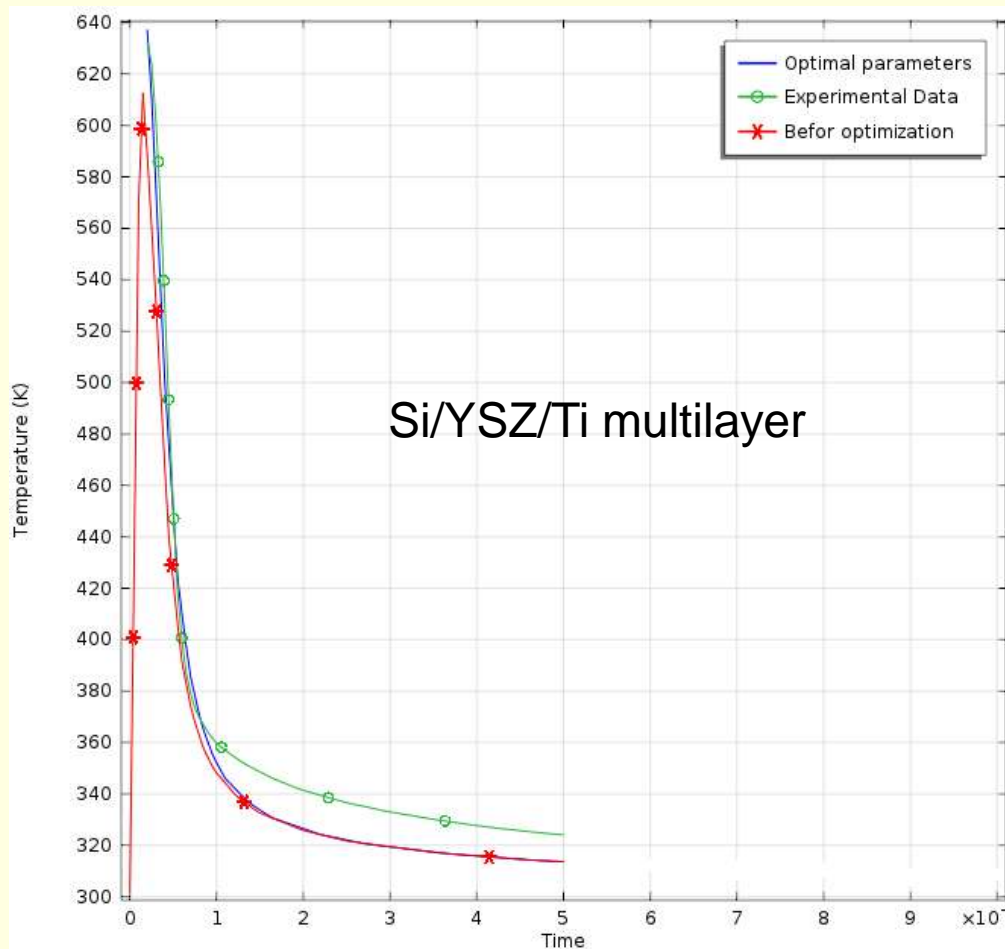
1 - Starting 1D with Matlab (Balageas model)

2 - Then Livelink to Run Comsol.

Running this loop until convergence of thermal fields :

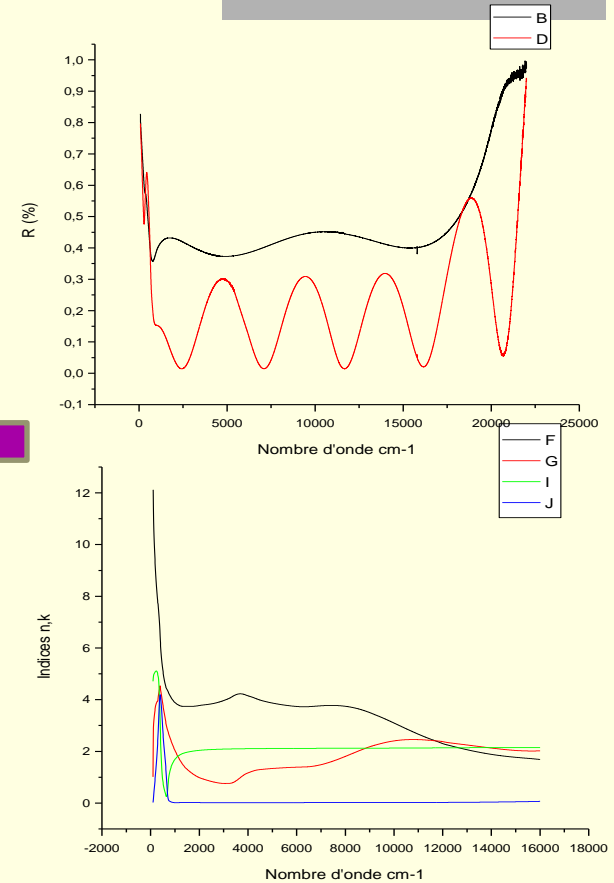
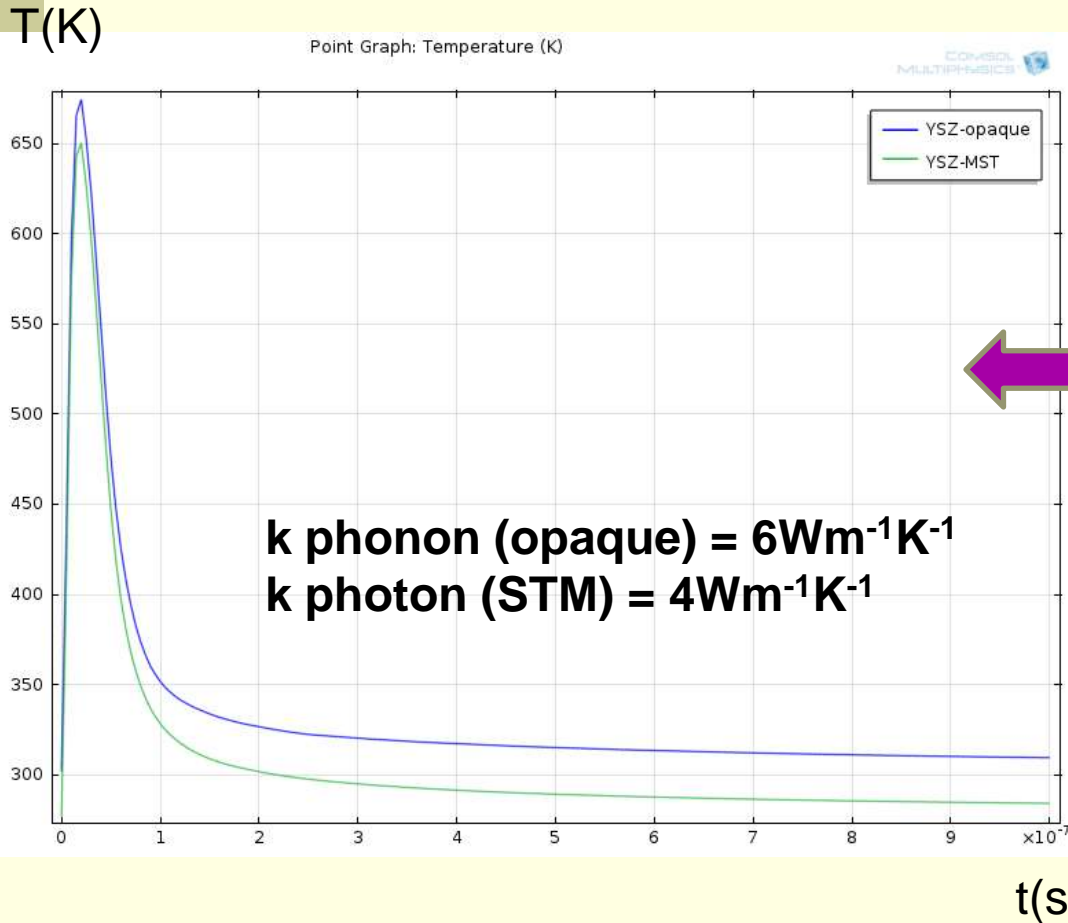
3 - **Output data** : density, thermal conductivity, heat capacity

Output data: best results!



$\rho = 3600 \text{ kg.m}^{-3}$
 $c = 550 \text{ J.K}^{-1}.\text{kg}^{-1}$
 $k = 7 \text{ W.m}^{-1}.\text{K}^{-1}$

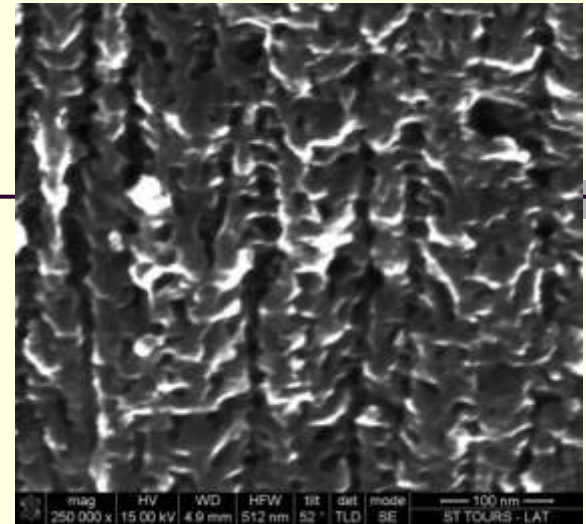
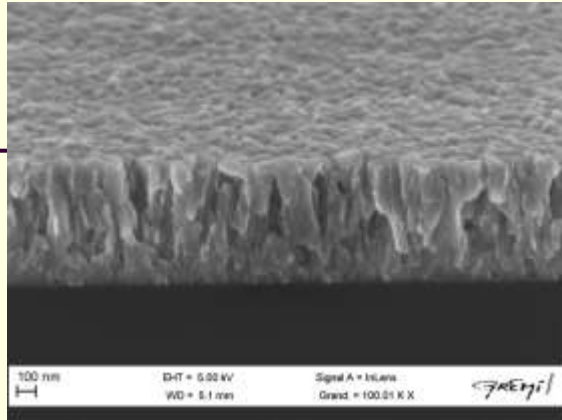
Yttria-Stabilised-Zirconia (YSZ)



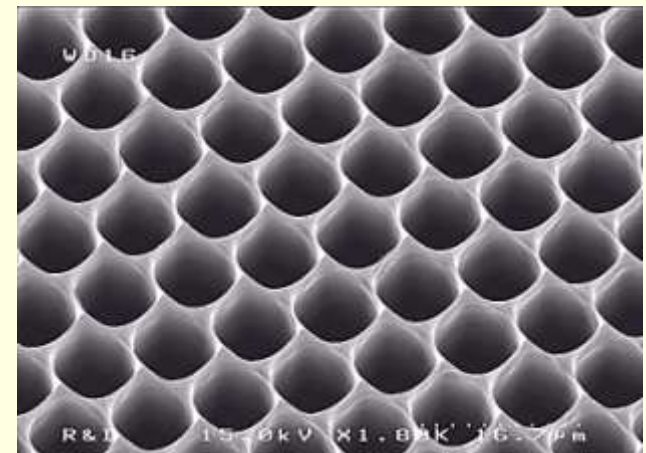
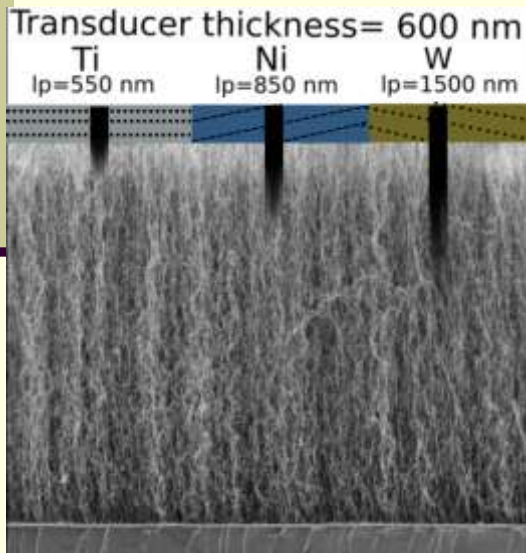
Optical parameters :
R, n1, n2

Conclusions

- ✓ New way for the optimization of thermal properties identification.
- But high number of loops, and long computation time.
- *Is the 'Optimization Module' able to do faster computations using more adapted models?*



THANKS



Experimental system - schematic view

