

External Field Induced Flow Patterns in Micro-scale Multiphase Flows

PRESENTED BY:-
ABHINAV SHARMA

CHEMICAL ENGINEERING DEPARTMENT,
IIT, GUWAHATI

COMSOL
CONFERENCE
BANGALORE2013

➤ **PRESENTATION PLAN**

❖ **INTRODUCTION**

❖ **APPLICATIONS/MOTIVATION**

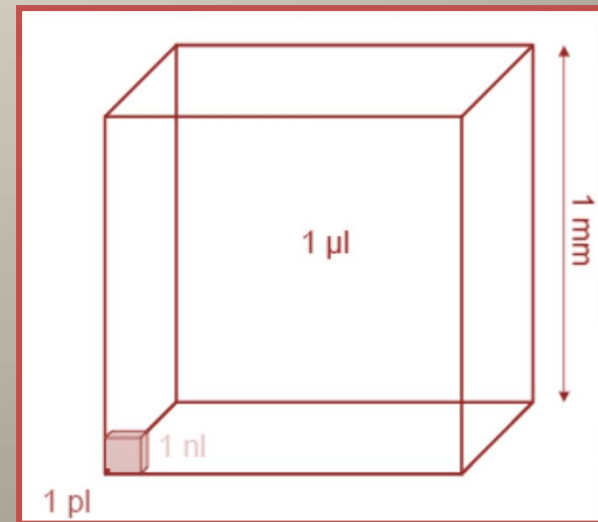
❖ **USE OF COMSOL MULTIPHYSICS**

❖ **RESULTS**

INTRODUCTION

➤ INTRODUCTION

- ❖ “Fluidics” means handling of liquids and/or gases
- ❖ “Micro” means at least one of the following features:
 - i. Small volumes (μl ; nl ; pl)
 - ii. Small size
 - iii. Low energy consumption
 - iv. Use of special effects:
 - Surface tension
 - Laminar flow
 - Capillary forces



➤ Materials of fabrication of microfluidic devices

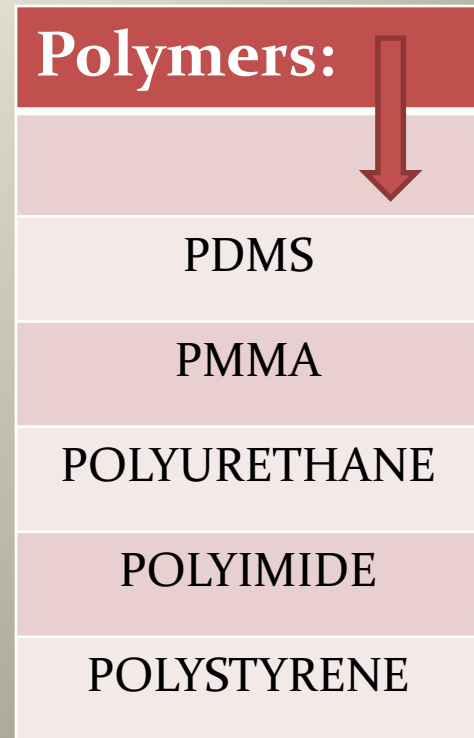
❖ Silicon / Si compounds:

- Classical MEMS approach
- Etching involved

❖ Polymers/Plastics:

➤ Newer methods:

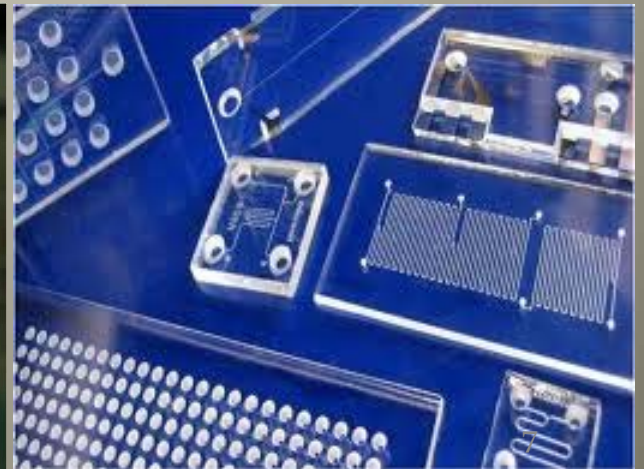
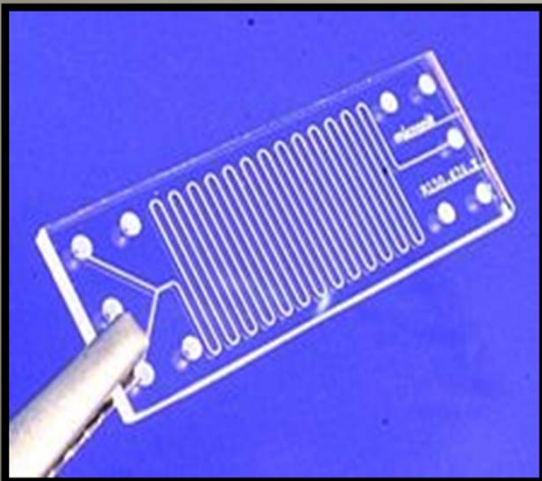
- Imprinting and hot embossing
- Injection Molding
- Laser photo ablation
- Soft Lithography
- Photolithography
- X-Ray Lithography(LIGA)



APPLICATIONS/MOTIVATION

➤ APPLICATIONS

- Controlled drug delivery systems and pneumatics
- Cooling of microelectronic devices and flow control
- MEMS / NEMS devices and sensors
- Power systems (Fuel cells, micro-combustors)
- Micro-reactors, micro-mixers and heat exchangers
- Miniature systems in chemical and biological analysis
(Lab on a chip or μ -Total Analysis Systems)



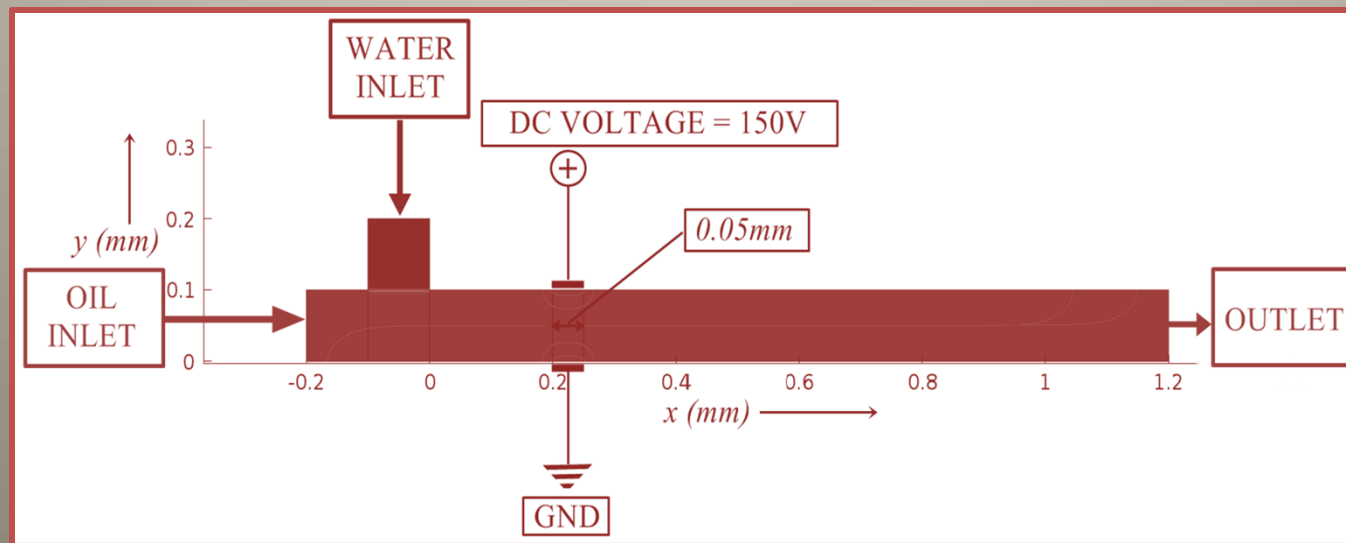
➤ MOTIVATION

- ❖ Study the flow regimes for different velocity ratios of a two-phase laminar flow system in a micron sized channel
- ❖ Study the effect of the parameters like viscosity, contact angle, surface tension on these flow regimes
- ❖ Manipulation of the flow regimes by enforcing external electric field (AC or DC).
- ❖ Achieve droplet driven flow from any type of flow pattern “Drop on Demand”

USE OF COMSOL MULTIPHYSICS

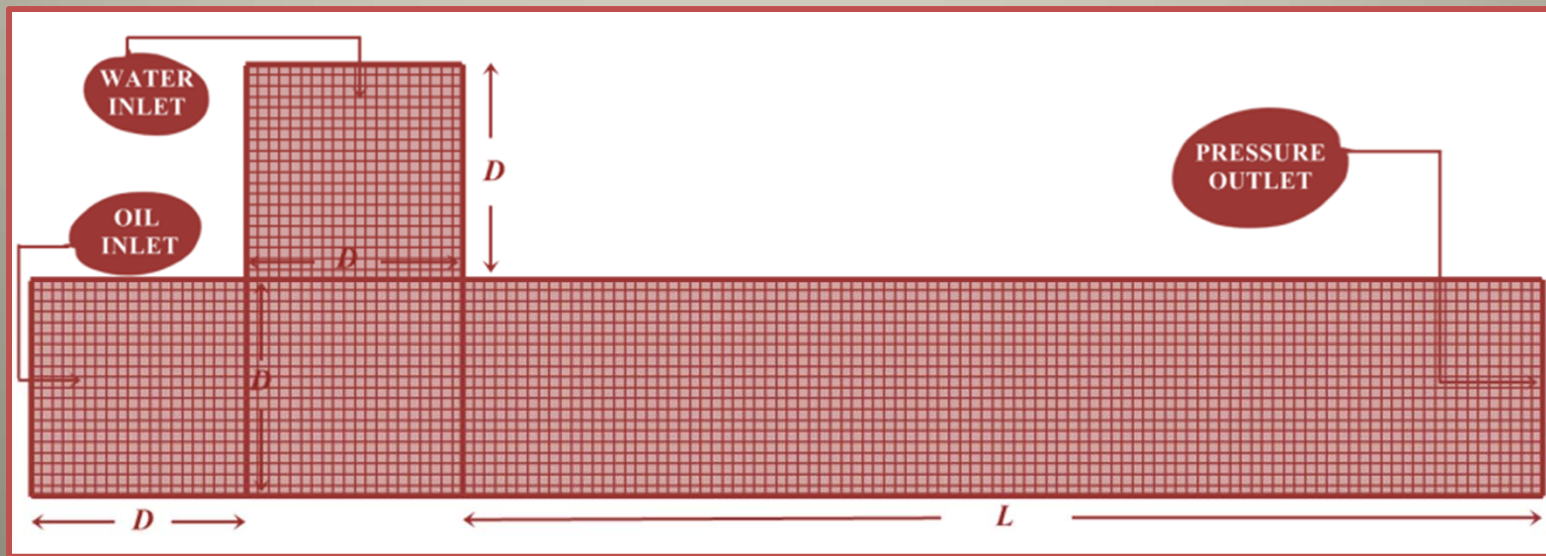
➤ GEOMETRY

- Selection of an appropriate coordinate
- Determining the domain size and shape
- Simplifications, if possible
- Shapes needed to be used to best resolve the geometry (lines, circular, ovals, etc.)



➤ MESH

- Meshes should be well designed to resolve flow features which are dependent upon flow condition parameters such as the grid refinement inside the wall boundary layer



➤ PHYSICS

- **Flow conditions:**
 - Inviscid, viscous, laminar, turbulent, etc
- **Fluid properties:**
 - Density, viscosity, electrical and thermal properties, etc.
- **Selection of models:**
 - Different models usually fixed by codes, options for user to choose
- **Initial and Boundary Conditions:**
 - Not fixed by codes, generally user needs to specify them for different applications

➤ SOLVING

- Setup appropriate numerical parameters
- Choose a suitable solver
- Solution procedure (e.g. incompressible flows)
- Get flow field quantities, such as velocity, turbulence intensity, pressure and integral quantities (lift, drag forces)

➤ GOVERNING EQUATIONS

- Conservation of Mass – the continuity equation:

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) = 0$$

$$\nabla \cdot \mathbf{u} = 0$$

$$\rho = \rho_c + (\rho_d - \rho_c) V_{fd}$$

- Navier-Stokes Equation:

$$\eta = \eta_c + (\eta_d - \eta_c) V_{fd}$$

$$\rho \left(\frac{\partial \mathbf{u}}{\partial t} + \mathbf{u} \cdot \nabla \mathbf{u} \right) = \nabla \cdot \vec{\boldsymbol{\sigma}} + \mathbf{f} = -\nabla p + \eta \nabla^2 \mathbf{u} + \mathbf{f}_e + \mathbf{f}_{st}$$

- Electric force:

$$\mathbf{f}_e = \nabla \cdot \mathbf{T}^m$$

Where, \mathbf{T}^m = Maxwell's stress tensors

➤ GOVERNING EQUATIONS

- **Electrostatics equation:**

- Gauss's Law

$$\nabla \cdot (\epsilon_0 \epsilon_r \mathbf{E}) = 0$$

$$\mathbf{E} = -\nabla V$$

- Electrical displacement

$$\mathbf{D} = \epsilon_0 \epsilon_r \mathbf{E}$$

ϵ_0 = permittivity of free space

ϵ_r = relative permittivity of the fluids

V_{fc} = Volume fraction of continuous phase

V_{fd} = Volume fraction of dispersed phase

$$\left(\epsilon_r = \epsilon_{rc} V_{fc} + \epsilon_{rd} V_{fd} \right)$$

RESULTS

➤ RESULTS: DC Voltage Results (150V)

Contact angle = θ , Velocity ratio = Q

$$(Q = v_D / v_C)$$

$\theta = 45^\circ$

$\theta = 90^\circ$

$\theta = 135^\circ$

$\theta = 45^\circ$

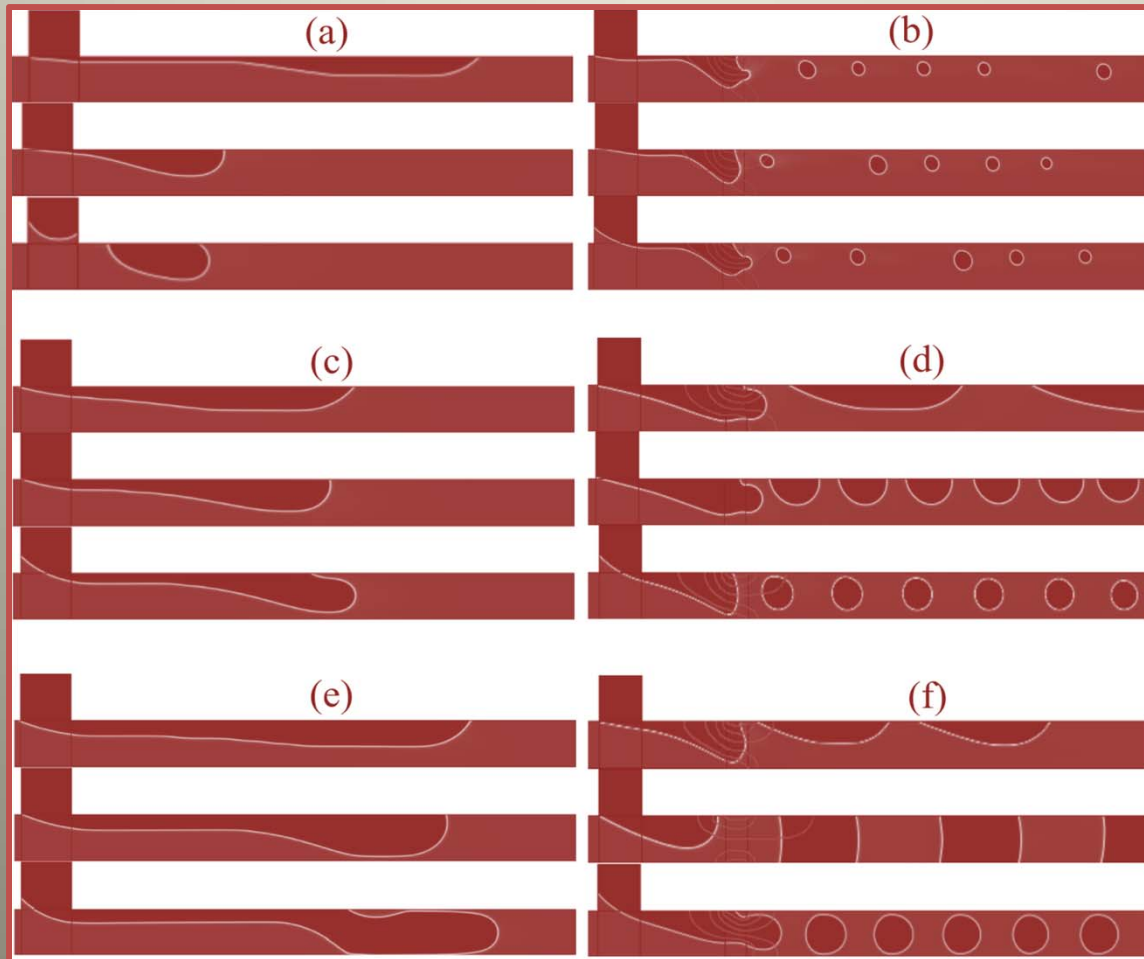
$\theta = 90^\circ$

$\theta = 135^\circ$

$\theta = 45^\circ$

$\theta = 90^\circ$

$\theta = 135^\circ$



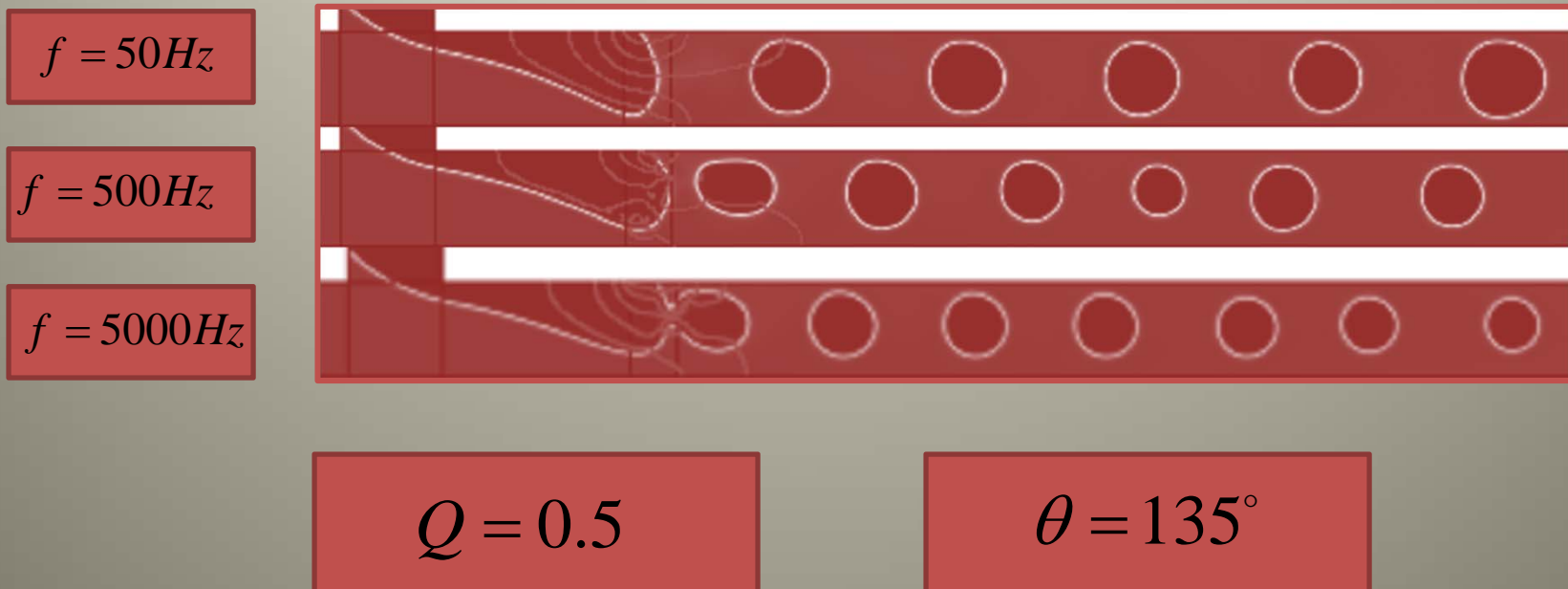
$Q = 0.1$

$Q = 0.5$

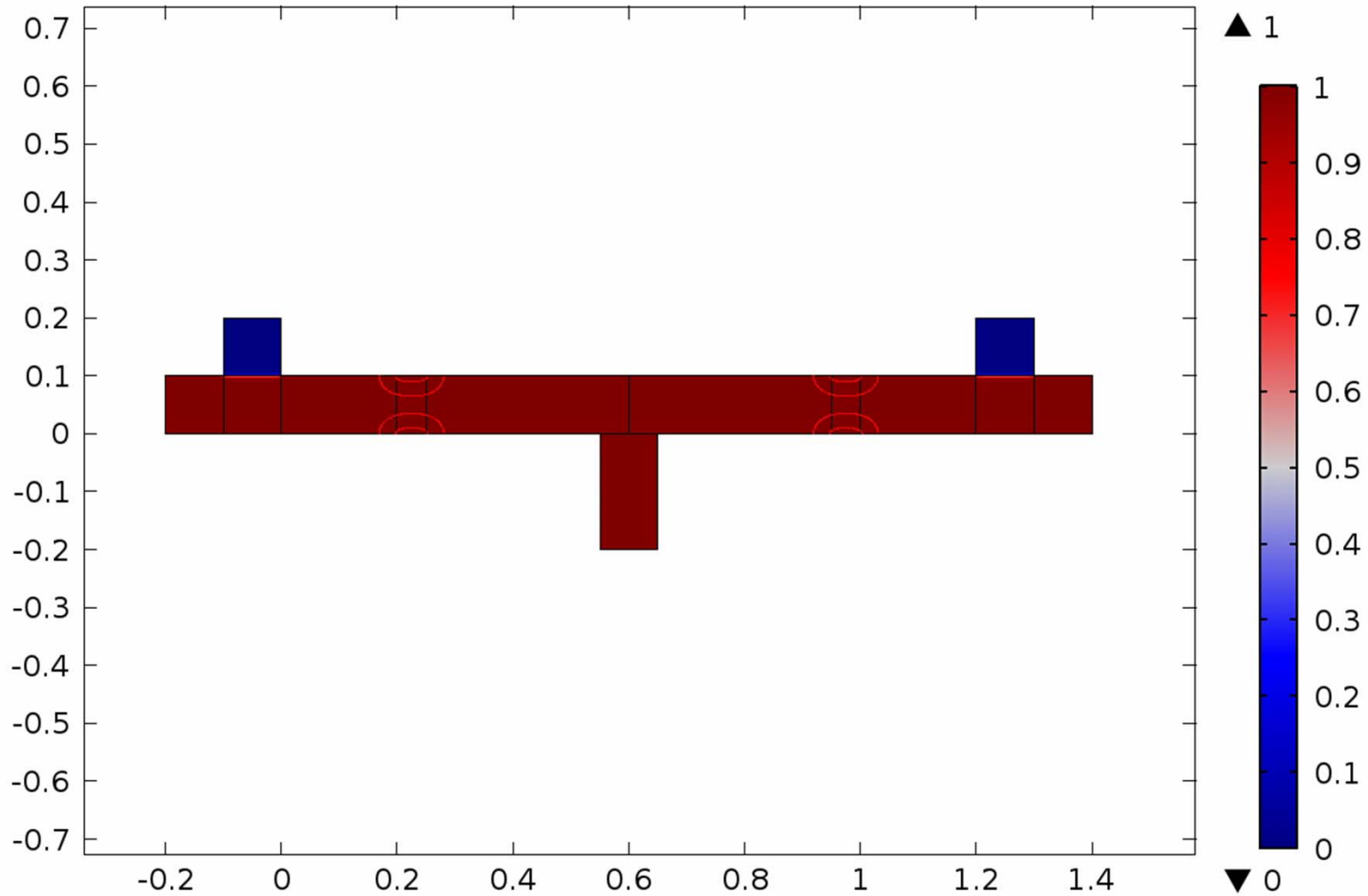
$Q = 1$

➤ RESULTS: AC Voltage Results (220V)

- With increasing frequency of the voltage applied, the droplet frequency increases
- This helps to achieve more control on the microfluidic system



Time=0 Surface: Volume fraction of fluid phase (blue=water, red=oil) (1)
Contour: Electric potential (V)



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THANK
YOU!!